

# Forms of Energy

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- ▶ **(1). Kinetic Energy:** Energy due to motion of body. A body of mass,  $m$ , when moving with velocity,  $V$ , possesses kinetic energy,

$$KE = \frac{1}{2}mV^2$$

$m$  and  $V$  are mass and velocity of body

- ▶ **(2). Potential Energy:** Energy due to elevation of body above an arbitrary datum

$$PE = mgZ$$

$Z$  is elevation of body from arbitrary datum  
 $m$  is the mass of body

- ▶ **(3). Pressure Energy:** Energy due to pressure above datum, most usually its pressure above atmospheric

$$PrE = \gamma h \quad !!!$$

# Forms of Energy

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- ▶ (4). **Internal Energy:** It is the energy that is associated with the molecular, or internal state of matter; it may be stored in many forms, including thermal, nuclear, chemical and electrostatic.

# HEAD

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▶ **Head:** Energy per unit weight is called head

▶ **Kinetic head:** Kinetic energy per unit weight

$$\text{Kinetic head} = \frac{KE}{\text{Weight}} = \left( \frac{1}{2} mV^2 \right) / mg = \frac{V^2}{2g} \quad \because \text{Weight} = mg$$

▶ **Potential head:** Potential energy per unit weight

$$\text{Potential head} = \frac{PE}{\text{Weight}} = (mgZ) / mg = Z$$

▶ **Pressure head:** Pressure energy per unit weight

$$\text{Pressure head} = \frac{\text{PrE}}{\text{Weight}} = \frac{P}{\gamma}$$

# TOTAL HEAD

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## ▶ TOTAL HEAD

= Kinetic Head + Potential Head + Pressure Head

$$\frac{V^2}{2g} \quad Z \quad \frac{P}{\gamma}$$

$$\text{Total Head} = H = Z + \frac{P}{\gamma} + \frac{V^2}{2g}$$

# Power

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- ▶ Rate of work done is termed as power

$$\text{Power} = \text{Energy}/\text{time}$$

$$\text{Power} = (\text{Energy}/\text{weight})(\text{weight}/\text{time})$$

- ▶ If H is total head = total energy/weight and  $\gamma Q$  is the weight flow rate then above equation can be written as

$$\text{Power} = (H)(\gamma Q) = \gamma QH$$

In BG:

1 horsepower = 550 ft.lb/s

$$\text{Power in (horsepower)} = (H)(\gamma Q)/550$$

In SI:

$$\text{Power in (Kilowatts)} = (H)(\gamma Q)/1000$$

# Momentum and Forces in Fluid Flow

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- ▶ We have all seen moving fluids exerting forces. The lift force on an aircraft is exerted by the air moving over the wing. A jet of water from a hose exerts a force on whatever it hits.
- ▶ In fluid mechanics the analysis of motion is performed in the same way as in solid mechanics - by use of Newton's laws of motion.
- ▶ i.e.,  $F = ma$  which is used in the analysis of solid mechanics to relate applied force to acceleration.
- ▶ In fluid mechanics it is not clear what mass of moving fluid we should use so we use a different form of the equation.

$$\sum F = ma = \frac{d(mV)_s}{dt}$$

# Momentum and Forces in Fluid Flow

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- ▶ Newton's 2nd Law can be written:
- ▶ *The Rate of change of momentum of a body is equal to the resultant force acting on the body, and takes place in the direction of the force.*

$$\sum F = \frac{d(mV)_s}{dt}$$

$\sum F =$  Sum of all external forces on a body of fluid or system s

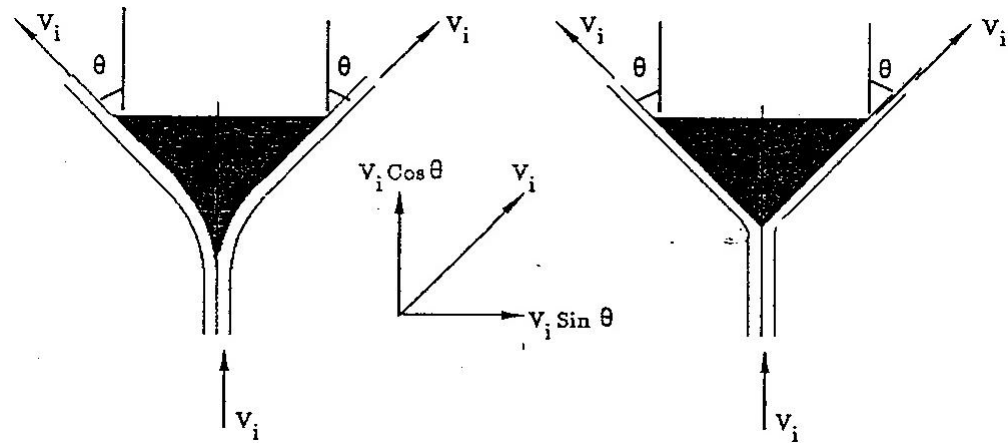
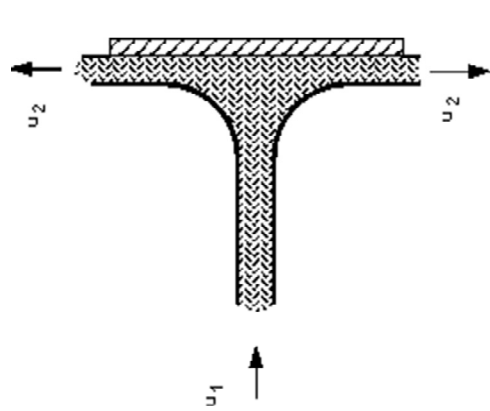
$mV =$  Momentum of fluid body in direction s

- ▶ *The symbols  $F$  and  $V$  represent vectors and so the change in momentum must be in the same direction as force.*

$$\sum Fdt = d(mV)_s$$

# Impact of a Jet on a Plane

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$$\frac{F_{th}}{\rho Q V_i} = 1 - \cos \theta$$



# Impact of a Jet on a Plane

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