

CRITICAL PATH METHOD

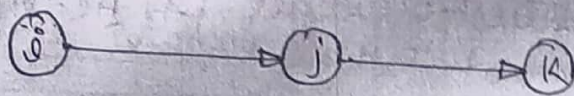
- 1) Critical path method is an activity based network method
- 2) This is generally used for repetitive type of project for which accurate estimate of time can be made.
- 3) It is based on deterministic approach.
- 4) Only one time estimate is for each activity.

IN CPM METHOD

(a) Event time

(b) Activity time

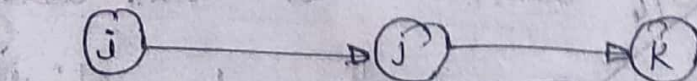
(c) $T_E =$ Earliest-occurrence time



$$T_E^j = T_E^i + t_{e^{j-i}}$$

(d) $T_{E \text{ successor}} = [(T_E)_{\text{predecessor}} + \text{Activity duration}]_{\text{max}}$

(e) $T_L =$ Latest Allowable occurrence time

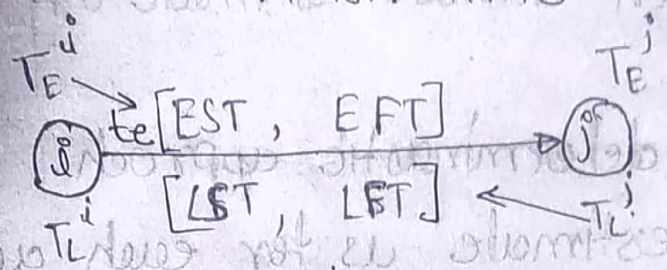


$$T_L^j = (T_L^k - t_{e^{j-k}})$$

(f) $(T_L)_{\text{predecessor}} = [(T_L)_{\text{successor}} - \text{Activity duration}]_{\text{min}}$

Activity time

- ① EST → Earliest start time
- ② EFT → Earliest finish time
- ③ LST → Latest start time
- ④ LFT → Latest finish time

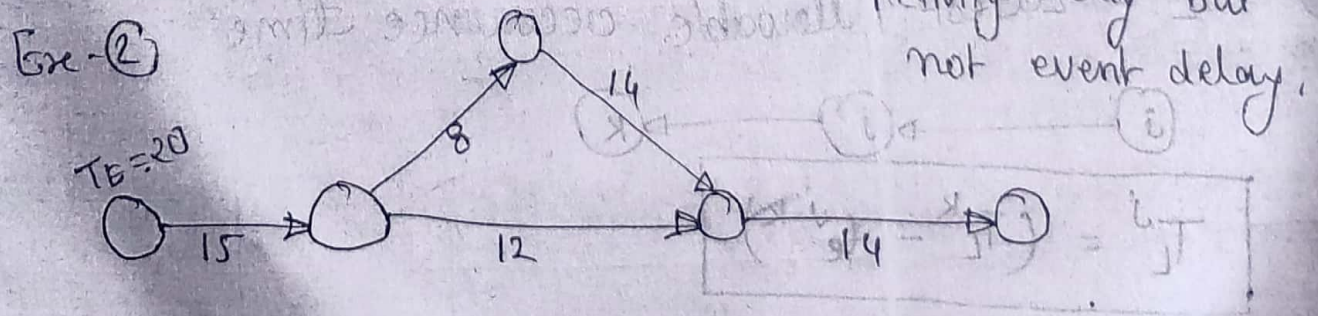
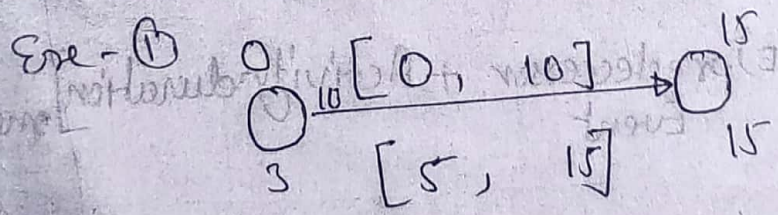


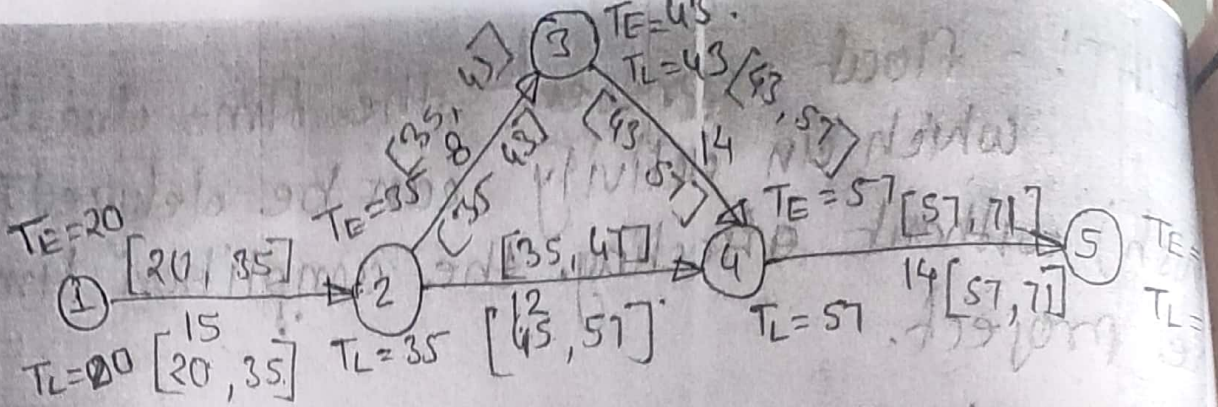
$$T_E^j = EST = T_E^i + Duration = EFT$$

$$T_L^j = LFT = T_L^i - Duration = LST$$

In given Ex. for Activity [i-j]

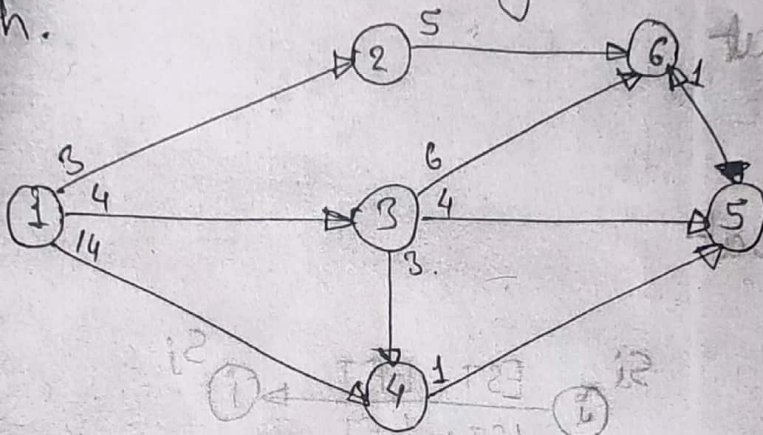
- ① $EST = T_E^i =$ Earliest occurrence time of "Tail Event".
- ② $EFT = (T_E^j + te^{i-j}) =$ (Earliest occurrence time of Tail event) + (Activity duration)
- ③ $LST = (T_L^i - te^{i-j}) =$ (Latest occurrence time of Tail event) - (Activity duration)
- ④ $LFT = T_L^j =$ Latest finish time of Head Event





Question

The Network shown in the fig. has the estimated duration of each activity. Determine the total float for each activity and establish the critical path.



Total float = $(LST - EST) = (2 - 2) = 0$

$F_T = (LST - EST) = (LFT - EFT)$

Note :- if $F_T = 0$ Activity is critical

* Critical Activity can not be delayed.

* Critical path :- Having all activities with total float = 0

Activity	te	EST	EFT	LST	LFT	FT	Remain